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Synthetic aenigmatite analog Na₂(Mn_{5.26}Na_{0.74})Ge₆O₂₀: structure and crystal chemical considerations

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Disodium hexamanganese(II,III) germanate is the first aenigmatite-type compound with significant amounts of manganese. Na₂(Mn_{5 26}Na_{0 74})Ge₆O₂₀ is triclinic and contains two different Na positions, six Ge positions and 20 O positions (all with site symmetry 1 on general position 2*i* of space group $P\overline{1}$). Five out of the seven M positions are also on general position 2*i*, while the remaining two have site symmetry $\overline{1}$ (Wyckoff positions 1f and 1c). The structure can be described in terms of two different layers, A and B, stacked along the [011] direction. Layer A contains pyroxene-like chains and isolated octahedra, while layer B is built up by slabs of edgesharing octahedra connected to one another by bands of Na polyhedra. The GeO₄ tetrahedra show slight polyhedral distortion and are among the most regular found so far in germanate compounds. The M sites of layer A are occupied by highly charged (trivalent) cations, while in layer B a central pyroxene-like zigzag chain can be identified, which contains divalent (or low-charged) cations. This applies to the aenigmatite-type compounds in general and to the title compound in particular.

Comment

Syntheses and crystal chemical investigations in the system of 1:3 Na and Li transition-metal germanate pyroxenes have shown that at ambient pressures pyroxene phases $NaM^{3+}Ge_2O_6$ (M = Cr, Fe, Sc and In) and $LiM^{3+}Ge_2O_6$ (M = Al, Ga, Cr, Fe, Sc and In) can be grown as high-quality single crystals using high-temperature solution (flux) techniques (Redhammer *et al.*, 2008). To extend the range of *M*-cationic substitution in clinopyroxene, the crystallization of Mn^{3+} bearing Na germanate pyroxenes was attempted, but it was found that the pyroxene structure is not stable; instead, crystals of a new aenigmatite-type phase have been formed, whose crystal structure is described here.

The triclinic aenigmatite group of compounds can be summarized with the general formula $A_2B_6T_6O_{20}$, where A =Na or Ca in six-to-eightfold coordination, B is octahedrally coordinated Fe^{2+} , Fe^{3+} , Mg, Al, Cr, Ti^{4+} or Sb^{5+} , and T is tetrahedrally coordinated Si, Al, B or Be. The mineral group comprises several naturally occurring minerals, such as aenigmatite itself, Na₂Fe₅TiSi₆O₂₀ (Cannillo et al., 1971), wilkinsonite, Na₂Fe₄²⁺Fe₂³⁺Si₆O₂₀ (Burt et al., 2007), krinovite, Na₂Mg₄Cr₂Si₆O₂₀ (Merlino, 1972; Bonaccorsi et al., 1989), rhönite, Ca₂(Mg,Fe,Ti)₆Si₆O₂₀ (Bonaccorsi et al., 1990), or sapphirine-1Tc, (MgAl)₈Si₆O₂₀ (Merlino, 1980); a detailed review of the aenigmatite group is given by Kunzmann (1999). Additionally, the crystal structures of several Be-containing minerals, closely related to the aenigmatite group, have been refined recently, among them surinamite, (Mg,Fe²⁺)₃Al₄-BeSi₃O₁₆ (Barbier et al., 2002), makarochinite, Ca₂Fe₄²⁺Fe³⁺-TiSi₆O₂₀ (Grew et al., 2005), and welshite, Ca₂Mg₄Fe³⁺Sb⁵⁺-Si₄Be₂O₂₀ (Grew et al., 2007). Besides the naturally occurring species, Barbier (1995) reported the synthetic aenigmatite analog germanate, Na₂(Mg,Fe)₆(Ge,Fe)₆O₁₈O₂, while Yang & Konzett (2000) describe Na2Mg6Si6O18(OH)2 and Gasparik et al. (1999) report Na₂(Mg_{4.31}Si_{0.39}Fe_{1.3})Si₆O₂₀. The title compound is of special interest as it is the first aenigmatitetype material containing Mn as the dominant octahedral cation.

The structure of $Na_2(Mn_{5.26}Na_{0.74})Ge_6O_{20}$ contains six distinct octahedrally coordinated M (M = Mn and Na) sites,



Figure 1

A view of the asymmetric unit and some symmetry-related atoms of the title compound, showing 95% probability displacement ellipsoids and the atomic numbering scheme. [Symmetry codes: (i) x + 1, y, z; (ii) -x, -y + 1, -z + 2; (iii) -x + 1, -y + 1, -z + 1; (iv) -x + 1, -y + 1, -z + 2; (v) x, y, z + 1; (vi) -x + 1, -y + 2, -z + 1; (viii) x + 1, y, z - 1; (ix) x, y, z - 1; (x) -x, -y + 2, -z + 1.]

two different sevenfold-coordinated Na sites, six distinct Ge sites and 20 O-atom positions. An anisotropic displacement plot, containing the atomic nomenclature, is given in Fig. 1. The structural topology is described in terms of two layers stacked alternately along the [011] direction (Fig. 2). The first layer, labelled layer A from here on, contains pyroxene-like chains (Ge1–Ge4) extending in the [100] direction with two additional corner-sharing GeO₄ tetrahedra attached laterally (Fig. 3a). Within this layer, the tetrahedral chains are connected by isolated octahedra (Mn1 and Mn2). The second layer (layer B) is formed by infinite slabs of edge-sharing octahedra extending along a (M3–M7). These slabs are linked by 'bands' of Na polyhedra (Fig. 3b).

The average Ge-O bond lengths within the tetrahedral chain of layer A are similar (\sim 1.741–1.747 Å), except for the Ge3 site, where the average is somewhat smaller (Table 1). This is due to a very small Ge3–O8 bond length [1.699 (5) Å]. Atom O8 is common to the Ge3, the M5 and two M6 polyhedra. The M6 sites, hosting Na⁺ cations, exhibit a low valence sum (Brese & O'Keeffe, 1991) of 1.47 valence units (v.u.) and are only weakly bound to atom O8; they contribute 0.34 and 0.22 v.u to the valence sum of atom O8. Thus, the remaining two bonds of O8 to Ge3 and M5 are expected to be stronger and thus shorter. The Ge1 and Ge4 tetrahedra have two Ge-O bridging (br) bonds, the $Ge-O_{br}$ distance being typically longer than the nonbridging (nbr) Ge-O_{nbr} distances. This is most evident for the Ge1 tetrahedron, with two short [(Ge- O_{nbr} = 1.723 (5) Å] and two long [$\langle Ge - O_{br} \rangle$ = 1.772 (5) Å] bonds. The Ge2 and Ge3 tetrahedra have three bridging bonds with neighboring tetrahedra, with $\langle Ge - O_{br} \rangle$ distances of 1.753 (5) and 1.744 (5) Å, respectively; the difference $\Delta_{\rm br} =$ $\langle Ge-O_{br} \rangle - \langle Ge-O_{nbr} \rangle$ is 0.047 and 0.045 Å for Ge2 and Ge3, respectively.

Synthetic Na₂(Mg_{3.6}Fe_{2.4})[(Ge_{5.6}Fe_{0.4})O₁₈]O₂ shows a more uniform distribution of individual Ge–O bond lengths, ranging between 1.722 (2) and 1.781 (2) Å (Barbier, 1995). The $\langle Ge-O \rangle_{br}$ values are comparable to those in the title



Figure 2

A polyhedral representation of the aenigmatite-type structure, viewed down the [100] direction, displaying the structure of stacked A and B layers.

compound; however, the Δ_{br} values are approximately half of the value found here, *i.e.* the bond-length distortion (Renner & Lehmann, 1986) is smaller for the title compound (Table 1). The Ge3 tetrahedron [equivalent to T4 in Barbier (1995)] is much more regular and does not display a short Ge-O bond pointing towards the M-site layer as found in the title compound. However, the trioctahedral unit of Mn6-Mn6ⁱ-Mn5 sites, to which atom O8 is bonded besides Ge3ⁱⁱ [symmetry codes: (i) -x + 1, -y + 2, -z; (ii) x, y, z - 1], exhibits a less uniform charge distribution in Na₂(Mn_{5.26}-Na_{0.74})Ge₆O₂₀ than in the Barbier (1995) sample Na₂(Mg_{3.6}-Fe_{2.4})[(Ge_{5.6}Fe_{0.4})O₁₈]O₂. Here M6 is exclusively occupied by Mg^{2+} and M5 has an $Mg_{0.74}^{2+}Fe_{0.26}^{3+}$ composition, while the title compound has - on the basis of bond-valence calculations (Brese & O'Keeffe, 1991) – an $Na_{0.74}^{+}Mn_{0.26}^{-2+}$ and $Mn_{0.32}^{2+}Mn_{0.68}^{3+}$ composition for *M*6 and *M*5, respectively.

Generally, the GeO₄ tetrahedra are remarkably regular in the title compound. Both the tetrahedral angle variance (TAV) and the tetrahedral quadratic elongation (TQE) parameters (Robinson et al., 1971) are low, the Ge5 and Ge6 tetrahedra being somewhat more regular than those within the tetrahedral chain. For comparison, distortion parameters found in other germanates are most frequently found in the ranges between 40 and 100° for TAV, and 1.01 and 1.02 for TOE (Redhammer & Roth, 2004a, 2006; Redhammer et al., 2005, 2006, 2007a,b,c; Redhammer, Merz et al., 2007). The most regular GeO₄ tetrahedra found so far are realized in $Cu_2Fe_2Ge_4O_{13}$ (the Ge3 site with TAV and TQE values of 1.6° and 1.0005; Redhammer, Merz et al., 2007) and in $Cu(Cu_{0.44}Cr_{4.58})Ge_2O_{12}$ (with TAV and TQE values of 5.32° and 1.0013, respectively; Redhammer et al., 2007a). The bondvalence sums of the Ge sites in the title compound are close to the expected value, the GeO4 tetrahedra within the chain being slightly overbonded, while the 'attached' tetrahedra are somewhat underbonded.

The chain of Ge1-Ge4 tetrahedra is distinctly kinked in Na₂(Mn_{5.26}Na_{0.74})Ge₆O₂₀; the average O–O–O tetrahedral bridging angle is 146.4 $(1)^{\circ}$, with the individual values ranging between 140.9 (1) and 152.1 (1) $^{\circ}$ (Table 1). A similar average kinking angle of 143.3° was found by Barbier (1995) for the Na-Mg-Fe germanate. These O-O-O angles compare well with the tetrahedral bridging angle in germanate clinopyroxenes, e.g. in synthetic LiFeGe₂O₆ [137.6 (1) and 151.1 (1) $^{\circ}$ for the A and B chain in the $P2_1/c$ phase at 298 K; Redhammer et al., 2008] or in CaCuGe₂O₆ [with the A and B chains kinked by 139.3 (1) and 179.9 (1)° in the $P2_1/c$ phase at ~720 K, while the bridging angle is 159.4 (1)° in the C2/c phase at \sim 800 K (Redhammer et al., 2005)]. The aenigmatite-type silicate minerals show bridging angles that are larger by $\sim 10-12^{\circ}$. The average T-O bond lengths in aenigmatite-type compounds are positively correlated with the average tetrahedral radius of the individual T sites (Table 1); however, no systematic variation is found for any polyhedral distortion parameter. This indicates that the distortional geometry of the tetrahedra is dominated by the geometry of the neighboring polyhedra, especially by the *M*-site cations and by the way in which O atoms are shared between neighbouring sites.

The M1 and M2 octahedra connect individual chains of GeO_4 tetrahedra with each other along the *c* direction. Thereby, the apices of the tetrahedra alternate 'up' and 'down' (Figs. 2 and 3a). The isolated M1 and M2 sites are characterized by a small $\langle M-O \rangle$ bond length and are preferentially filled by trivalent or highly charged cations in the aenigmatitetype compounds. In krinovite, Na₂Mg₄Cr₂Si₆O₂₀, these two sites exclusively host Cr3+ (Bonaccorsi et al., 1989), while in rhönite, Ca₂(Mg, Fe, Ti)₆Si₆O₂₀, M1 and M2 are characterized by high amounts of Ti⁴⁺ (Bonaccorsi et al., 1990). On the basis of bond-valence considerations, Burt et al. (2007) state that M1 and M2 are filled by 84 and 70% Fe3+ in wilkinsonite, Na₂Fe₆Si₆O₂₀. Finally, Fe³⁺ clearly dominates Mg²⁺ in Na₂(MgFe)[(GeFe)O₁₈]O₂, having an occupation of 80% in M1 and M2. In most of the aenigmatite-type compounds, the average $\langle M1 - O \rangle$ and $\langle M2 - O \rangle$ distances are – together with $\langle M7-O \rangle$ – the smallest of all $\langle M-O \rangle$ bond lengths. This is also true for the title compound. On the basis of bond-valence calculations, the small (M1-O) and (M2-O) values of 2.037 (6) and 2.047 (5) Å indicate that Mn is almost exclusively in the trivalent state on these two sites. The M1 and M2 polyhedra connect the tetrahedral 'A' layer with two neighboring 'B' layers, by sharing four of their edges with the M5and M7 octahedra (two edges each for the layer above and below the 'A' layer). In comparison to other aenigmatite-type compounds, it is evident that Mn^{3+} with its $3d^4$ electronic configuration causes a distinct distortion to the M1 and M2 sites, expressed by a large BLD value but also by large octahedral angle variance and quadratic octahedral elongation parameters (Table 1). In the silicate aenigmatite-type minerals, these two polyhedra appear to be much more regular (Table 1); the Na–Mg–Fe germanate of Barbier (1995) also exhibits less polyhedral distortion.

The slab of M sites, which is the main building unit of the 'B' layer in the aenigmatite structure (Figs. 2 and 3b), hosts the M3-M7 octahedra. The average M-O bond lengths range between 2.054 (5) and 2.321 (5) Å, reflecting the mixed occupation with Mn²⁺, Mn³⁺ and Na⁺. All three cations rarely occupy the M sites in aenigmatite-type compounds known so far. Thus, the M-O bond lengths in the title compound are amongst the largest reported. Using bond-valence analysis (Brese & O'Keeffe, 1991), Mn²⁺/Mn³⁺ ratios on the different M sites have been determined in a manner similar to that described by Burt et al. (2007), giving Mn³⁺ percentages of, respectively, 38% on M3, 0% on M4, 32% on M5, 0% on M6 and 79% on M7; M1 and M2 are occupied by 100% Mn^{3+} , while for *M*6 the site occupancy is given as $Na_{0.74}Mn_{0.26}^{2+}$. Using these Mn²⁺/Mn³⁺ ratios to calculate average cationic radii $\langle r_M \rangle$, a well defined positive correlation is valid between $\langle M-O \rangle$ and $\langle r_M \rangle$. This trend is well met by data from several other aenigmatite-type compounds (Fig. 4). All 'B'-layer octahedra are connected to each other by corner sharing.



Figure 3

A polyhedral representation of the aenigmatite-type structure, viewed down the [111] direction, depicting (a) the Ge1–Ge6 'A' layer and (b) the slabs of the M-site 'B' layers.

Along the *a* direction, a four-octahedron unit, consisting of two M3 and two M4 octahedra, alternates with a six-octahedron unit of two M5, two M6 and two M7 octahedra. The M6 polyhedron thereby is the only one that shares six of its edges with neighboring M polyhedra and shows – by far – the largest average M-O bond length. This is due to the presence of Na⁺ at M6, a feature not reported so far for the aenigmatite structure type, but also due to the intense edge sharing with the neighboring sites. Among all M sites, the M6 octahedron is the most distorted; the value found for the title compound thereby is the largest reported so far for aenigmatite-type compounds. Generally, the M6 site deviates most from ideal octahedral geometry in the aenigmatite structure (Table 1). A rough positive correlation can be found between average cationic radius $\langle r_M \rangle$ and polyhedral distortion parameters, *e.g.* between $\langle r_M \rangle$ and OAV for some M sites; this is most evident for the M3 and M5 sites, while the polyhedral distortion of the *M*1, *M*2 and *M*7 octahedra appears to be independent of $\langle r_M \rangle$ and is dominated by geometric constraints from their neighboring sites. The M4 site displays the second largest $\langle M-O \rangle$ bond length, reflecting the fact - corroborated by the bondvalence sum – that this site is occupied by Mn²⁺ exclusively. It is this site which is the most regular in terms of bond length and angular distortion (Table 1). This can be regarded as additional evidence that M4 is occupied only by Mn^{2+} with its closed-shell 3d⁵ electronic configuration. In most aenigmatitetype compounds, except rhönite, the M4 site is occupied by divalent cations only. In contrast, the M7 site, sharing a common edge with the M1 site of the 'A' layer, preferentially accommodates highly charged cations, e.g. Fe3+ only in synthetic Na₂(Mg,Fe)₆(Ge,Fe)₆O₁₈O₂ (Barbier 1995), or Cr^{3+} in krinovite. From this charge distribution, it is evident that, within the 'B'-layer M3-M7 octahedral slab, a central pyroxene-like zigzag chain of edge-sharing M4-M4-M6-M6- $M4 \cdots$ octahedra can be identified which preferentially contains divalent cations or, more generally, cations with low charge, while the M3, M5 and M7 octahedra, attached to this chain, host - additionally or exclusively - trivalent or higher valent cations. This zigzag chain, which is closely related to the



Figure 4

The correlation between average ionic radius $\langle r_M \rangle$ and $\langle M-O \rangle$ for the different *M* sites in different aenigmatite-type compounds.

M1 chain of the clinopyroxene structure, reveals the very same interconnection with the chain of Ge1–Ge4 tetrahedra as is realized in the clinopyroxenes (Fig. 3*b*). Thus, an alternative description of the aenigmatite-type structure addresses pyroxene-like slabs, which alternate with spinel-like slabs (Barbier, 1995; Yang & Konzett, 2000).

A major difference between the title compound and other aenigmatite-type compounds lies in the coordination geometry of the Na⁺ (A) cation. In the title compound, Na exhibits a (6+1)-fold coordination for both A sites, with six Na-O bonds between 2.346 (6) and 2.553 (6) Å, the seventh being 2.805 (6) and 2.793 (6) Å apart. The next nearest O atoms to Na1 and Na2 are 3.249 (6) and 3.234 (6) Å away and are regarded as nonbonding. A similar observation was made by Barbier (1995) for the synthetic NaMg germanate. These longest coordinating A-O bond lengths are distinctly shorter in the germanate compounds than in the silicate aenigmatites of Table 1, where the longest A - O bonds range between 2.95 and 3.06 Å. Barbier (1995) states that this (6+1)-fold coordination of the Na sites is intermediate between the (7+1)-fold coordination as found in, for example, aenigmatite (Cannillo et al., 1971) and the sapphirine structure with the corresponding sixfold-coordinated Mg-rich sites (Barbier, 1995). The coordination of the A-site cations is directly related to the conformation state of the pyroxene-like tetrahedral chains. Silicate aenigmatite minerals with their (7+1)-coordination have average tetrahedal kinking angles above 150°, in the synthetic germanates the average kinking angles are 143.3 and 146.3°, while sappirine with the sixfold-coordinated Mg sites shows small tetrahedral kinking angles of 130.3° only. A well defined negative correlation is valid between the conformation state of the tetrahedral chain and the long distant A-Obonds, i.e. the more the tetrahedral chains are stretched, the closer the long distant O atoms are moved towards the A cations; in aenigmatite and wilkinsonite with the largest $\langle O -$ O-O angles, the eighth O atoms in the coordination polyhedron are ~ 2.95 Å apart and have to be regarded as bonding O atoms leading to the (7+1)-fold coordination (Table 1). In the clinopyroxenes, the principal mechanism is similar but reversed: as the tetrahedral chain becomes stretched, the respective O atom corresponding to the largest distance moves out of the coordination environment of the M2 sites, most instructively displayed by the low-temperature behaviour upon the $C2/c-P2_1/c$ phase transitions in Li clinopyroxenes (Redhammer et al., 2002, 2004b).

Experimental

As part of our crystal chemical investigations of $(Na,Li)MGe_2O_6$ 1:3 germanate clinopyroxene compounds (Redhammer *et al.*, 2008), the title compound was obtained accidentally during attempts to synthesize NaMnGe₂O₆ using flux growth methods. A finely ground and homogenized mixture of Na₂CO₃, Mn₂O₃ and GeO₂ in the stoichiometry NaMnGe₂O₆ was added to the high-temperature solvent (80 wt% Li₂MoO₄ and 20 wt% LiVO₃) in a ratio of educt to flux of 1 g:10 g. This starting material was placed in a platinum crucible, covered with a lid and heated in a chamber furnace to 1473 K, held for 24 h at this temperature, and cooled to 973 K at a

Table 1

Selected structural and distortional parameters for aenigmatite-type compounds.

Literature data recalculated from fractional atomic coordinates and lattice parameters given in the Inorganic Crystal Structure Database (ICSD, 2005).

	NMnG	NMgG	Wilkins	Mg-Aenig	Aenig	Rhönite	Krinovite		NMnG	NMgG	Wilkins	Mg-Aenig	Aenig	Rhönite	Krinovite
a (Å)	10 5578	10.405	10 2255	10 2025	10.4060	10 267	10.228	$V(\text{\AA}^3)$	2.686	2.728	2.222	2.221	2.316	2.592	2.154
$u(\mathbf{A})$ $b(\mathbf{A})$	11 1522	10.495	10.3333	10.2923	10.4000	10.307	10.238	BLD^{a} (%)	0.94	0.63	0.98	0.97	0.38	0.33	1.11
$C(\mathbf{A})$	9 1833	8 994	8 9142	8 8027	8 9260	8 895	8 770	$TAV^{e}(^{\circ})$	26.995	22.806	12.498	8.830	10.024	36.369	14.913
α (°)	106 707	105.9	105 048	105 280	104 930	105 98	105 15	TQE ¹	1.0061	1.0053	1.0029	1.0022	1.0024	1.0097	1.0036
β (°)	95.809	95.9	96.461	96.712	96.870	96.04	96.50	S^a (v.u.)	4.07	3.98	-	3.92	3.68	3.05	
$\gamma(^{\circ})$	124.367	124.7	125.302	125.256	125.320	124.72	125.15		1 500	1 7 2 5	1 (21	1 (25	1.607	1 (75	1 (20)
								$\langle T3 - O \rangle$ (A)	1.733	1.735	1.621	1.625	1.627	1.675	1.628
$\langle M1 - O \rangle$ (Å)	2.037	2.046	2.033	2.0378	2.097	2.0238	2.0062	$\langle \mathbf{O} - \mathbf{O} \rangle$ (A) $V(\Lambda^3)$	2.820	2.829	2.045	2.049	2.030	2.731	2.034
$\langle O - O \rangle$ (Å)	2.880	2.891	2.874	2.8805	2.963	2.860	2.8347	$V(\mathbf{A})$ BLD ^a (%)	2.050	2.002	2.176	2.176	0.50	2.395	0.00
$V(A^3)$	10.986	11.264	11.113	11.213	12.088	10.939	10.640	TAV^{e} (°)	15 626	17 665	10 762	30 339	8 080	20 270	33 702
$BLD^{a}(\%)$	5.06	0.85	1.16	0.90	3.06	0.36	1.28	TOE	1.0035	1.0041	1.0026	1.0071	1.0019	1.0048	1.0079
$OAV^{\circ}(^{\circ})$	4/.6/	31.11	18.98	14.67	37.46	23.17	26.43	S^{d} (v.u.)	4.15	4.15	_	4.00	3.97	3.49	
$S^{d}(ww)$	2.07	2.58	2.87	1.0045	2.27	2.46	2.80								
5 (v.u.)	2.91	2.50	2.07	2.37	2.21	2.40	2.00	$\langle T4-O \rangle (\mathring{A})$	1.741	1.750	1.631	1.646	1.627	1.692	1.640
$\langle M2 - O \rangle$ (Å)	2.047	2.047	2.052	2.0638	2.100	2.014	2.0124	$\langle O - O \rangle$ (A)	2.839	2.851	2.659	2.683	2.653	2.758	2.673
$\langle O-O \rangle (A)$	2.894	2.892	2.901	2.9171	2.967	2.847	2.8432	$V(\mathbf{A}^{3})$	2.692	2.719	2.206	2.266	2.193	2.458	2.238
$V(Å^3)$	11.154	11.265	11.400	11.606	12.099	10.804	10.7224	$BLD^{*}(\%)$	0.9/	0.45	0.89	1.44	1.19	0.23	0.69
$BLD^{a}(\%)$	5.19	0.97	2.78	1.99	3.17	0.26	1.52	TAV ()	1 / .404	54.44Z	24.390	29.323	21.411	1 0077	29.194
$OAV^{b}(^{\circ})$	46.374	33.802	22.911	21.557	43.439	20.029	30.002	$S^{d}(\mathbf{y}\mathbf{u})$	4 07	3.97	-	3.78	3.97	3.28	1.0072
OQE	1.0207	1.0104	1.0083	1.0072	1.0148	1.0059	1.0092	S (nul)		0.07		5110	0.07	0.20	
S ^u (v.u.)	2.90	2.58	2.75	2.22	2.09	2.51	2.81	$\langle T5-O \rangle$ (Å)	1.756	1.759	1.637	1.643	1.640	1.737	1.639
$(M3 \cap (\lambda))$	2 1 2 9	2 074	2 1 2 9	2 100	2 1 2 4	2.082	2 003	$\langle O-O \rangle$ (Å)	2.865	2.868	2.670	2.679	2.676	2.834	2.674
$\langle M S = O \rangle (A)$	3 004	2.074	3.014	2.100	3.006	2.085	2.095	$V(\text{\AA}^3)$	2.766	2.777	2.237	2.258	2.254	2.671	2.249
$V(Å^3)$	12.492	11.666	12.663	12.214	12.530	11.828	12.090	BLD^{a} (%)	1.62	0.72	1.07	1.56	1.07	1.45	1.43
$BLD^{a}(\%)$	2.66	1.83	3.25	1.40	3.17	0.79	1.24	$TAV^{e}(^{\circ})$	14.993	16.137	14.724	20.072	9.630	17.682	14.319
OAV^{b} (°)	60.146	42.721	63.429	26.595	75.414	40.210	25.339	TQE'	1.0038	1.0040	1.0037	1.0052	1.0025	1.0052	1.0036
OQE^{c}	1.0198	1.0135	1.0209	1.0080	1.0245	1.0121	1.0073	3 (V.u.)	3.92	3.88	-	3.82	5.84	2.92	
S^d (v.u.)	2.45	2.41	2.06	2.01	2.09	2.09	2.04	(T6-0) (Å)	1 762	1 760	1 635	1 643	1 632	1 743	1 640
	2.106	2 002	0.1.15	2 1 0 1	0.1.57	2 0 1 2	0.000	$\langle 0-0\rangle$ (Å)	2.874	2.868	2.667	2.679	2.662	2.842	2.674
$\langle M4 - O \rangle$ (A)	2.196	2.093	2.145	2.101	2.157	2.043	2.092	$V(Å^3)$	2.792	2.774	2.231	2.259	2.219	2.692	2.248
$\langle \mathbf{U} = \mathbf{U} \rangle$ (A) $V(\mathbf{A}^3)$	5.101 12.872	2.955	5.029 12.004	2.959	5.047 13.204	2.885	2.951	$BLD^{a}(\%)$	1.30	0.81	1.02	1.09	1.16	1.69	1.13
$V(\mathbf{A})$ BLD ^a (%)	13.872	0.90	12.994	2 18	1 43	1 70	2 04	$\mathrm{TAV}^{e}(^{\circ})$	14.124	22.937	14.220	22.519	12.520	20.322	18.229
OAV^{b} (°)	42.761	33.105	30.898	56.436	31.942	35.492	51.919	TQE ¹	1.0036	1.0058	1.0035	1.0057	1.0030	1.0062	1.0045
OQE ^c	1.0123	1.0100	1.0093	1.0171	1.0095	1.0113	1.0162	S^{a} (v.u.)	3.87	3.87	-	3.80	3.92	2.88	
S^d (v.u.)	2.01	2.04	1.99	2.01	1.92	2.35	2.06	04 02 06	140.60	145.04	160 50	160 26	160 75	155 10	167 10
•								04 - 03 - 00 03 - 06 - 010	149.09	143.94	163.89	150.20	163.15	133.48	152.18
$\langle M5 - O \rangle$ (A)	2.076	2.077	2.129	2.082	2.130	2.035	2.083	06-010-04	142.84	141.04	154.11	148.90	154.10	146.52	149.50
$\langle O - O \rangle$ (A)	2.932	2.930	2.999	2.930	2.998	2.8/2	2.935	010-04-03	140.92	138.53	150.80	157.98	151.81	152.20	158.61
$V(\mathbf{A}^{c})$ DI $\mathbf{D}^{a}(0^{c})$	11.0//	11./12	12.556	11./52	12.511	11.073	11.//2	$\langle O-O-O \rangle$	146.38	143.32	157.33	154.528	157.45	150.94	155.82
OAV^b (%)	5.07 42 737	1.09	2.02 53.818	2.07	2.57 64 533	30.984	1.92 51.957								
OOE^c	1 0162	1 0140	1 0174	1 0168	1 0203	1 0098	1 0163	$CN A1^g$	6+1	6+1	7+1	7+1	7+1	7+1	7+1
S^{d} (v.u.)	2.61	2.39	2.09	2.12	2.09	2.40	2.11	$\langle A1 - O \rangle$	2.494	2.447	2.544	2.525	2.548	2.516	2.512
× /								$A1 - O_{long}$	2.805	2.856	2.965	3.011	2.948	3.016	2.965
$\langle M6-O\rangle$ (Å)	2.321	2.139	2.156	2.100	2.1485	2.118	2.115	$\langle A1 - O \rangle_{6.7}$	2.440	2.397	2.484	2.430	2.490	2.455	2.447
$\langle O - O \rangle$ (Å)	3.270	3.015	3.043	2.965	3.032	2.988	2.984	3 (v.u.)	1.15	1.20	-	1.22	1.11	2.04	1.23
$V(A^3)$	15.596	12.512	12.952	12.037	12.704	12.186	12.221	$CN A2^{g}$	6+1	6+1	7+1	7+1	7+1	7+1	7+1
$BLD^{a}(\%)$	3.28	1.63	1.09	1.20	1.10	1.81	0.67	$\langle A2 - O \rangle$	2.499	2.463	2.557	2.544	2.570	2.529	2.524
$OAV^{\circ}(^{\circ})$	141./58	89.629	/3.904	20.889	88.392	81.013	/2.0/6	$A2 - O_{long}^{h}$	2.793	2.830	2.983	3.015	2.969	3.056	2.953
$S^d(\mathbf{y} \mathbf{I})$	1.0400	1.0282	1.0217	2.00	1.0275	1.020	1.0215	$\langle A2 - O \rangle_{inner}$	2.450	2.402	2.496	2.477	2.513	2.444	2.463
()								S^{a} (v.u.)	1.14	1.20	-	1.19	1.07	1.98	1.21
$\langle M7 - O \rangle$ (Å)	2.054	2.034	2.037	2.037	1.989	2.040	1.999								
$\langle O - O \rangle (Å)$	2.903	2.876	2.881	2.874	2.8151	2.885	2.827	Notes: NMnG =	= title co	mpound	, this stu	dy; NMgG	$= Na_2(M$	g _{3.6} Fe _{2.4})[(Ge _{5.6} Fe _{0.4})-
$V(A^3)$	11.324	11.084	11.133	11.110	10.410	11.167	10.520	O18]O20 (Barbie	er, 1995)	Wilkins	s = wilki	nsonite, Na	${}_{2}\mathrm{Fe}_{4}^{2+}\mathrm{Fe}_{2}^{2}$	$^{4+}Si_{6}O_{20}$ (1	Burt et al.,
$BLD^{a}(\%)$	2.21	2.72	2.01	1.06	4.47	3.59	2.82	2007); Mg-Aeni	g = Mg-	aenigmat	ite, Na_2N	$Ig_6Si_6O_{18}(O)$	H_{2} (Yan	g & Kon	zett, 2000);
$UAV^{\circ}(^{\circ})$	44.610	27.425	28.537	34.456	17.918	30.844	26.539	A e nig = a e nigm Ti) Si O (Bon)	accorsi a	$a_2 r e_5 1181_6$	O_{20} (Can)). Krinov	nnno <i>et al.</i> , vite = Na-M	19/1); Kl	$a_{\rm onle} = 0$	corsi <i>et al</i>
OQE^{d}	1.0140	1.0086	1.0087	1.0100	1.0078	1.0103	1.0088	1989). (a) Bond	length d	istortion.	BLD =	$(100/n)\sum_{n=1}^{n}$	$\{[(X - O)]$	$x = \langle x = 0 \rangle$	$\left \frac{(X-O)}{(X-O)} \right $
5 (v.u.)	2.74	2.11	2.03	4.37	3.14	2.41	2.90	with $n =$ number	r of bon	ds, $(X-C)$	$(D)_i = cent$	tral cation-to	o-oxygen	length and	$\langle X - O \rangle =$
$\langle T1 - O \rangle$ (Å)	1.747	1.766	1.637	1.621	1.651	1.7098	1.624	average cation-c	oxygen bo	ond lengt	h (Renne	r & Lehman	n, 1986).	(b) Octah	edral angle
$\langle O-O \rangle (Å)$	2.847	2.876	2.669	2.644	2.692	2.787	2.650	variance, OAV	$= \sum_{i=1}^{n}$	$(\Theta_i - \nabla^6)$	$(1/2)^{2}/(11)$	Robinson a	et al., 19	(c)	Octahedral
$V(Å^3)$	2.709	2.791	2.232	2.173	2.288	2.541	2.190	quadratic elonga	nion, OC	$v = \sum_{i=1}^{n} v_{i}$	$_{=1}(l_i/l_o)^{-/6}$, with $l_0 = 0$	of the up	distorted	ance for a
BLD^{a} (%)	1.37	0.63	1.25	1.44	0.83	0.42	1.06	with bond leng	th <i>l</i> . (R	binson	et al. 19	(1), (d) Bo	nd-valence	e sum S	(Brese &
$\mathrm{TAV}^{e}(^{\circ})$	29.016	34.262	24.719	15.810	28.163	27.054	12.434	O'Keeffe, 1991)). (e) Te	trahedra	l angle	variance, TA	$AV = \Sigma$	$\sum_{i=1}^{n} (\Theta_i -$	$(109.47)^2/5$
TQE'	1.0070	1.0083	1.0059	1.0037	1.0067	1.0064	1.0029	(Robinson et al.	, 1971).	(f) Tetra	ahedral q	uadratic elo	ngation,	$TQE = \sum$	$\sum_{i=1}^{4} (l_i/l_t)^2/4,$
S* (v.u.)	4.03	3.82	-	4.05	3.71	3.17	-	with $l_t = \text{centre}$	-to-verte	distance	e for a re	egular tetrah	edron wh	nose volun	ne is equal
$\langle T2 = O \rangle (Å)$	1 742	1 750	1 632	1 631	1 654	1 724	1 616	to that of the (a) CN - number	undistorte	ea tetrah	edron wi	n bond len	gth l_i (R	Denotes	<i>al.</i> , 1971).
$\langle O-O \rangle$ (Å)	2.838	2.853	2.663	2.663	2.700	2.810	2.637	A = O bond len	gth.	. (11a, C	<i>a)</i> 000101	nating O at	.cms. (<i>n</i>)	Denotes	ine iongest

rate of 1.8 K h⁻¹. After dissolution of the flux in hot distilled water, dark-brown-to-black needle-like crystals were obtained. Chemical analysis was performed on three different grains using an electron microprobe, indicating 7.60% Na₂O, 33.62% MnO and 56.42 GeO₂ by weight; no other elements are present in the sample, as proved by energy dispersive X-ray analysis. On the basis of 20 O atoms and the Mn^{2+}/Mn^{3+} ratio extracted from bond-valence calculations, this gives rise to the structural formula Na_{2.73 (2)}Mn_{5.28 (1)}Ge_{6.01 (2)}O₂₀, which is identical to the formula derived from structure refinement within experimental error.

Crystal data

Na ₂ (Mn _{5.26} Na _{0.74})Ge ₆ O ₂₀	$\gamma = 124.367 \ (5)^{\circ}$
$M_r = 1107.49$	$V = 806.05 (11) \text{ Å}^3$
Triclinic, $P\overline{1}$	Z = 2
a = 10.5578 (9) Å	Mo $K\alpha$ radiation
b = 11.1532 (7) Å	$\mu = 15.17 \text{ mm}^{-1}$
c = 9.1833 (7) Å	T = 295 (2) K
$\alpha = 106.707 \ (2)^{\circ}$	$0.09 \times 0.07 \times 0.04 \text{ mm}$
$\beta = 95.809 \ (1)^{\circ}$	
Data collection	

9401 measured reflections

 $R_{\rm int} = 0.073$

3400 independent reflections

2545 reflections with $I > 2\sigma(I)$

Bruker SMART APEX diffractometer Absorption correction: numerical *via* equivalents using *X-SHAPE*

(Stoe & Cie, 1996) $T_{\rm min} = 0.29, T_{\rm max} = 0.55$

Refinement

 $R[F^2 > 2\sigma(F^2)] = 0.042$ 313 parameters

 $wR(F^2) = 0.082$ 1 restraint

 S = 0.95 $\Delta \rho_{max} = 1.22 \text{ e} \text{ Å}^{-3}$

 3400 reflections
 $\Delta \rho_{min} = -1.03 \text{ e} \text{ Å}^{-3}$

Structure solution using Patterson methods (Sheldrick, 1997) yielded the Ge and Mn positions; O atoms and Na atoms were localized from difference Fourier map analysis. After full anisotropic refinement against F^2 with all the *M* sites filled with Mn, it became evident that the Mn6 site is partly empty or partly substituted. Allowing the site-occupation factor of Mn6 to refine freely yielded an occupation of 0.43 Mn, significantly below the expected value of 1, and a drop of the *R*1 value by nearly 4%. As chemical analysis showed an Na content above the expected 2.0 formula units, a mixed occupation of *M*6 with Mn and Na was tested. The refinement converged to an occupation very close to that expected from chemical analysis.

Data collection: *SMART-Plus* (Bruker, 2001); cell refinement: *SAINT-Plus* (Bruker, 2001); data reduction: *SAINT-Plus*; program(s) used to solve structure: *SHELXS97* (Sheldrick, 2008); program(s) used to refine structure: *SHELXL97* (Sheldrick, 2008); molecular graphics: *DIAMOND* (Version 3.0; Brandenburg & Berndt, 1999);

software used to prepare material for publication: *WinGX* (Version 1.70.01; Farrugia, 1999).

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Supplementary data for this paper are available from the IUCr electronic archives (Reference: IZ3033). Services for accessing these data are described at the back of the journal.

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